

Monetary Policy and Excessive Bank Risk-Taking

Itai Agur
De Nederlandsche Bank
i.agur@dnb.nl

Maria Demertzis
De Nederlandsche Bank
m.demertzis@dnb.nl

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Introduction

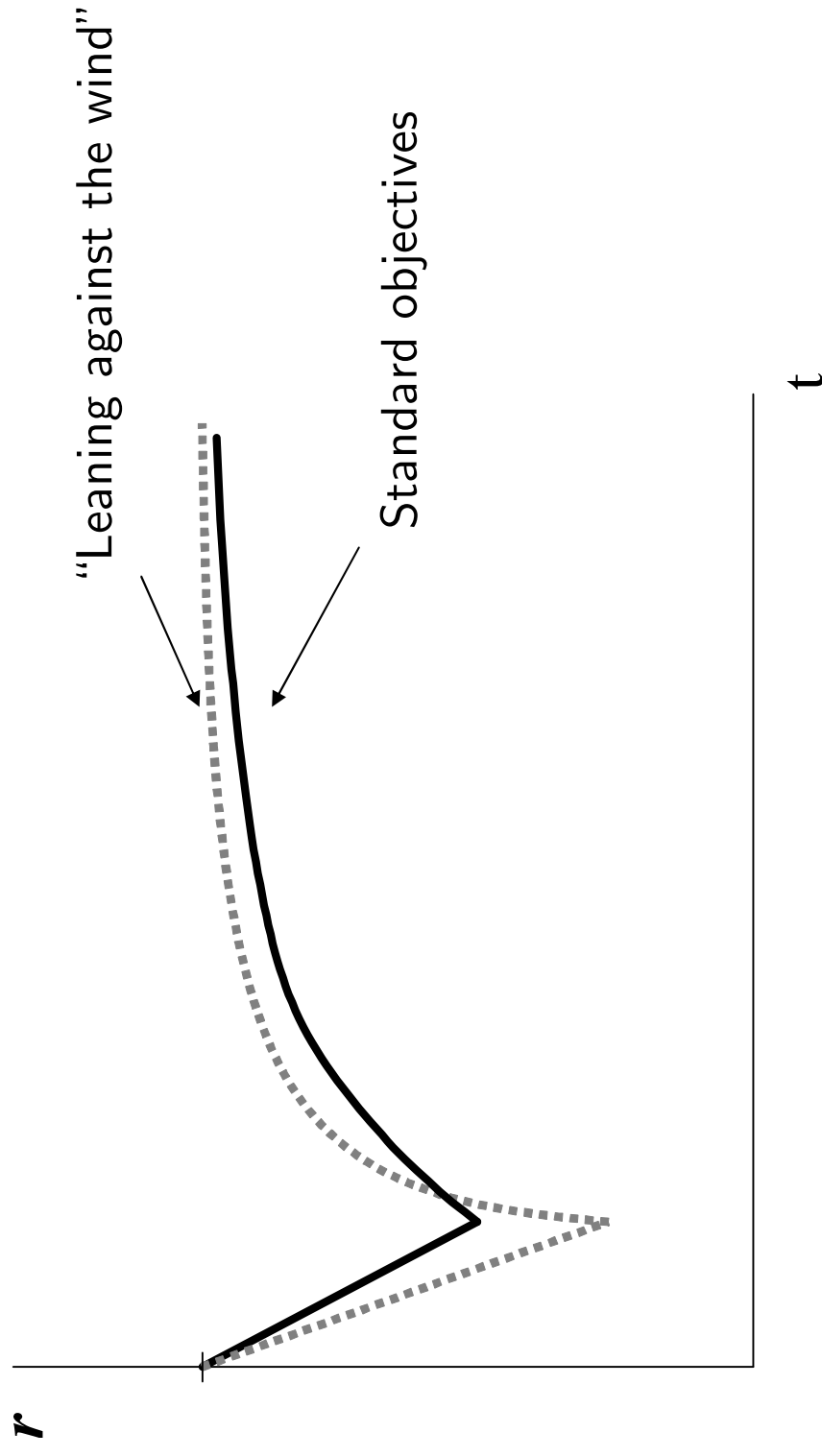
- Lax monetary policy potential culprit crisis
- Lower rates raise risk taking
- Especially if rates: too low for too long
- Empirical evidence:
 - Maddaloni et al. (2009), Altunbas et al. (2009), Jiménez et al. (2009), Ioannidou et al. (2009)

Introduction

- Calls for monetary policy that explicitly considers **financial imbalances**
 - Bank risk: Borio and White (2004), Borio and Zhu (2008), Adrian and Shin (2008, 2009)
 - Credit growth: Christiano et al. (2007, 2008)
 - Credit spreads: Curdia and Woodford (2009)
- Question: How does policy change?
- Different level / timing of rates?

Our results

- Level effect: higher rates on average
- Dynamic effect: cuts are short and deep



Model: Banks with Limited Liability (1)

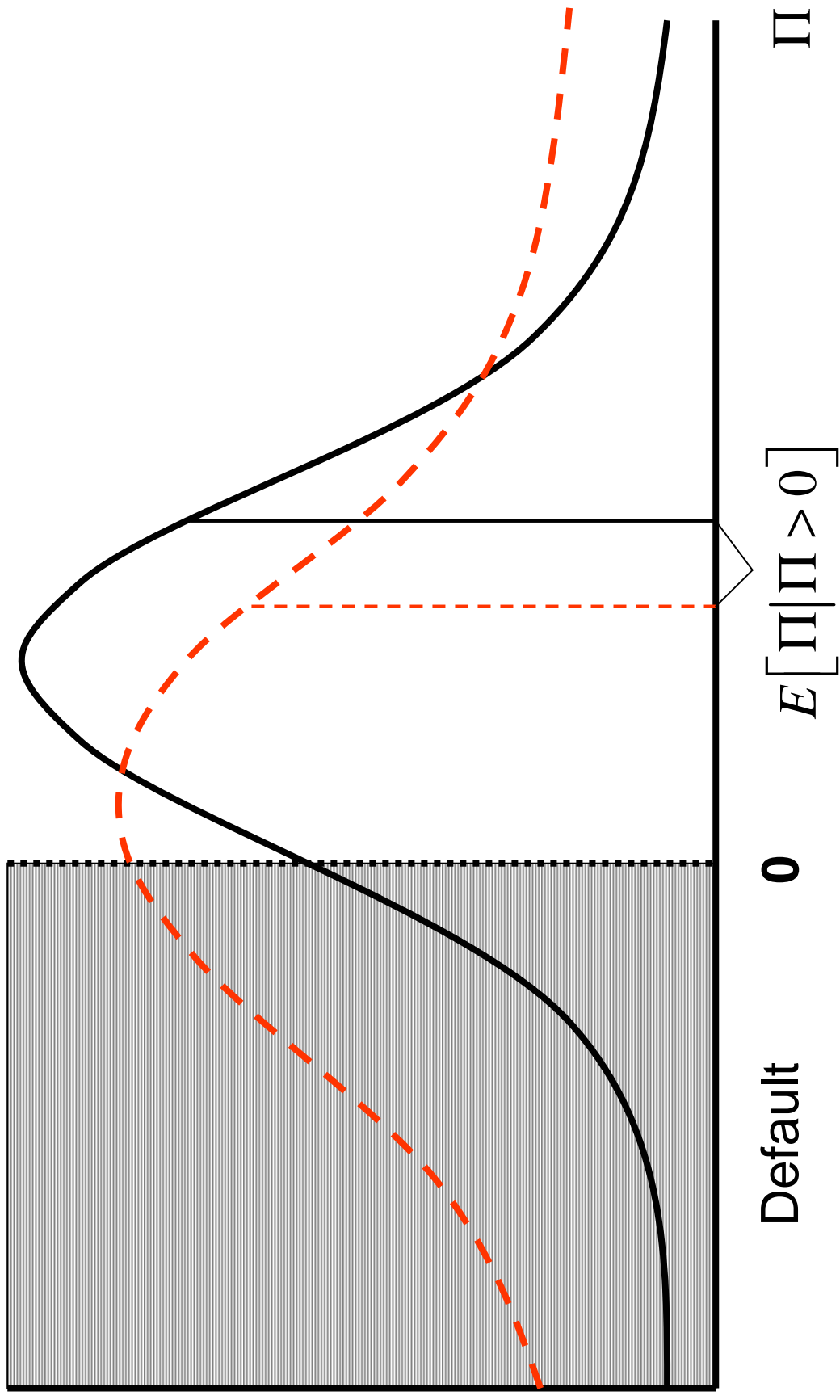
Bank i

$$\max_{k,e,d} E[\Pi_i]$$

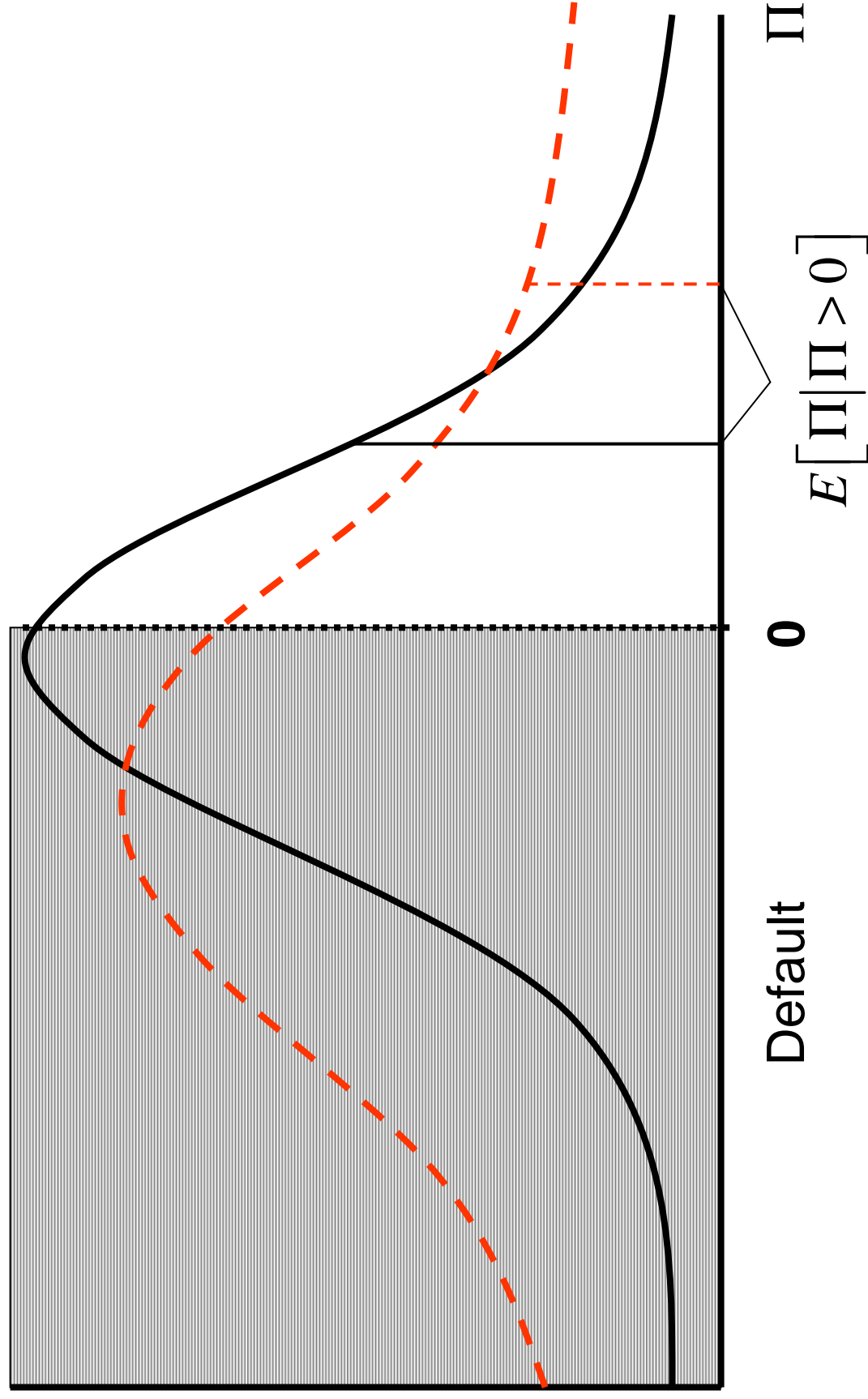
$$\Pi_i = \max \{ R_i(k) - (f(e) + g(d, r)), -e \}$$

$$k = \{g, b\}, \quad \mu_g > \mu_b, \quad \sigma_b > \sigma_g$$

Bank with low leverage



Bank with high leverage



Model: Banks with Limited Liability (2)

Bank i

$$R_i(k) = h[R_i(k), \varphi_i], \quad \frac{\partial R_i(k)}{\partial \varphi_i} > 0,$$

$$e + d = 1,$$

$$f'(e) = \frac{\partial g(d, r)}{\partial d},$$

$$\max_{k,d} E[\Pi_i] = \max_{k,d} E \left[\max \{ R_i(k) - (f(e) + g(d, r)), d - 1 \} \right],$$

Model: Banks with Limited Liability (3)

Proposition: There exists a φ' , such that $\varphi_i < \varphi'$ select $k=b$ and a high leverage, while banks with $\varphi_i > \varphi'$ select $k=g$ and a low level of debt.

Proof:

1. Complementarity between asset funding and quality
2. Higher efficiency better quality

Model: Banks with Limited Liability (4)

$$1. \max \{ R_i(k) - (f(e) + g(d, r)), d - 1 \}$$

$$\arg \max_d E[\Pi_i]_{k=g} < \arg \max E[\Pi_i]_{k=b}$$

$$2. \varphi_i \uparrow \rightarrow R_i(k) - (f(e) + g(d, r)) \succ d - 1$$

$$\rightarrow g \succ b \quad \Rightarrow \quad \exists \varphi', \varphi_i > \varphi' \rightarrow g, \varphi_i < \varphi' \rightarrow b$$

Limited Liability and Monetary Policy

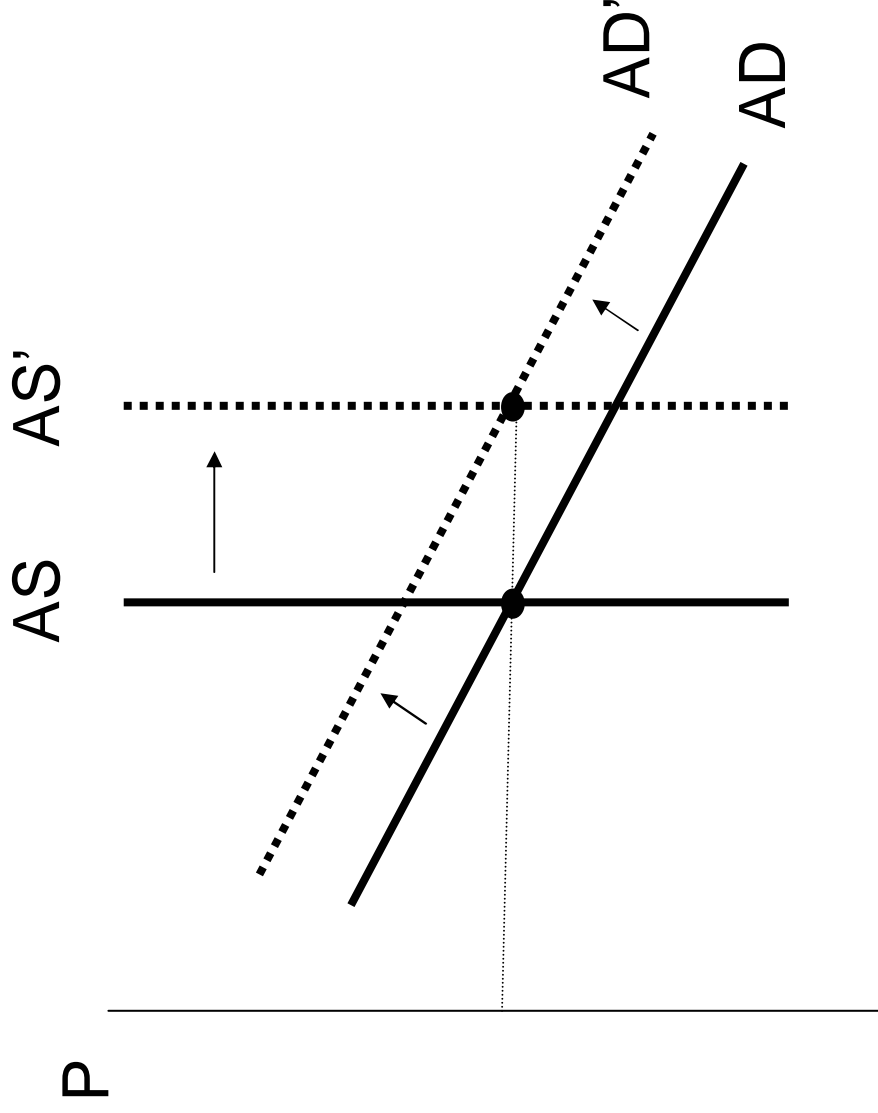
Proposition: Monetary policy can affect the average quality of bank lending activities:

$$\frac{\partial \phi'}{\partial r} < 0$$

Proof:

$$\frac{\partial g(d, r)}{\partial r} > 0 \rightarrow d \downarrow \rightarrow g \downarrow b \rightarrow \phi' \downarrow \rightarrow g \uparrow$$

The Level effect



$Y \longrightarrow$

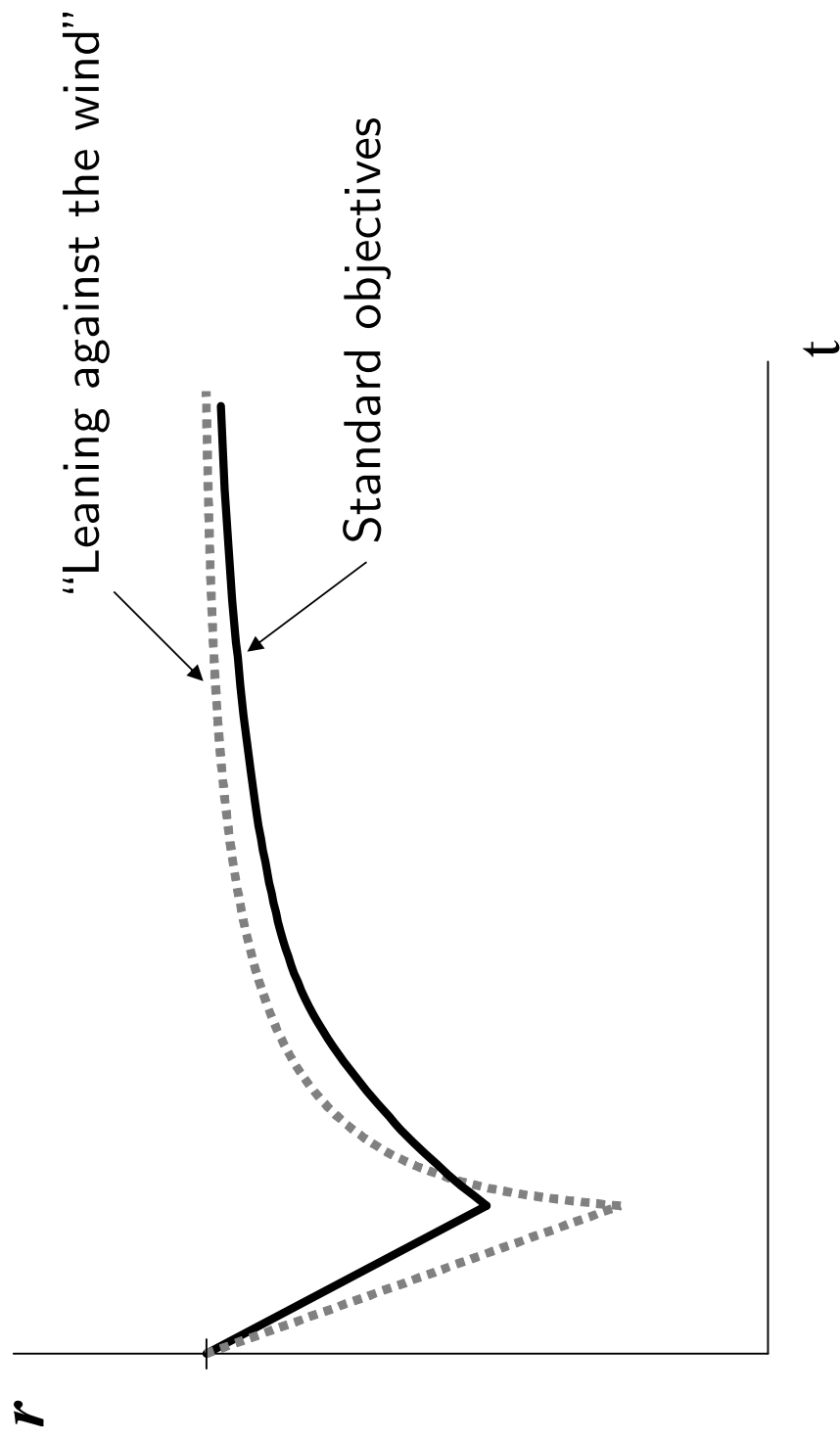
Y

$$r \uparrow \rightarrow g > b \rightarrow MPK \uparrow \rightarrow (MPL \uparrow) \rightarrow \frac{r}{P} \uparrow$$

Dynamic Effect

- Bank projects are long term
 - Therefore, risk is persistent
 - Risk profiles can only be gradually adjusted
- Response to negative demand shock
 - Brief rate cut
 - Avoids rise in bank risk
 - But then **deep cut**: since short window
- Taken together:

Effects (for a given negative shock)



Monetary policy – dynamic set-up

$$\min_{r_t, t \geq 0} E(L) = \min_{r_t, t \geq 0} \left\{ E \sum_{t=0}^{\infty} \delta^t \left[(1-\rho)(Y_t - Y^*)^2 + \rho(Y_t^* - Y^*)^2 \right] \right\}$$

- IS: $y_t(\varepsilon_t, r_t^f, r_{t-1}^f, \dots, r_0^f), \quad \varepsilon_t = \theta \varepsilon_{t-1} + v_t$
- AD effects: $\frac{\partial y_t(\varepsilon_t, r_t^f, r_{t-1}^f, \dots, r_0^f)}{\partial r_{t-s}^f} < 0, \quad \frac{\partial y_t(\bullet)}{\partial \varepsilon_t} > 0$
- Risk is persistent: Y_t^* (risk)

Dynamic Effect

Definition Define λ as the profile of the monetary authority's policy response, where a higher λ means a deeper but shorter-lived policy.

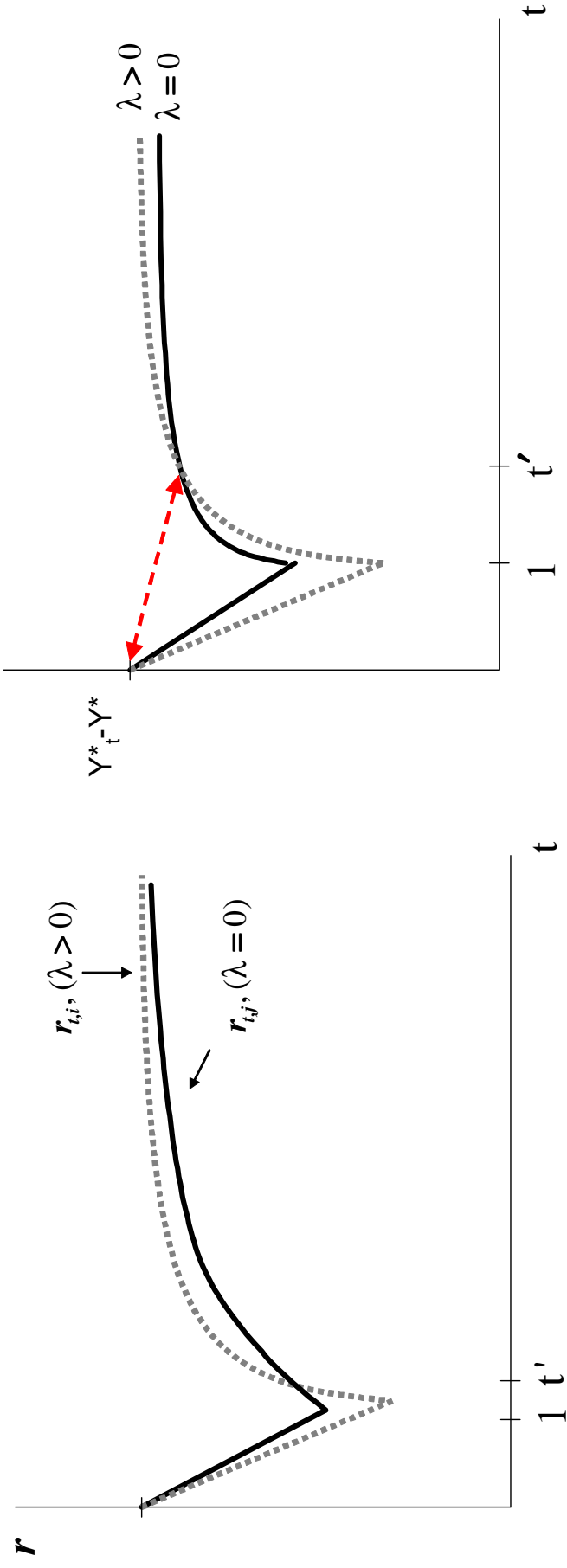
i has a larger λ than j *iff*:

$$\exists t' : (|r_{t,i} - r^*| \geq |r_{t,j} - r^*| \forall t < t') \wedge (|r_{t,i} - r^*| \leq |r_{t,j} - r^*| \forall t > t')$$

Let $\lambda=0$ be optimal path of $\rho=0$ authority

Proposition : $\frac{d\lambda}{d\rho} > 0$

Dynamic Effect



Prudential regulation

- Regulation vs. Monetary Policy: a case for policy Coordination?

- Monetary Policy

$$\min_{r_t, t \geq 0} E(L) = \min_{r_t, t \geq 0} \left\{ E \sum_{t=0}^{\infty} \delta^t \left[(Y_t - Y^*)^2 \right] \right\}$$

- Regulation

$$\min E(L) = \min \left\{ E \sum_{t=0}^{\infty} \delta^t \left[(Y_t^* - Y^*)^2 \right] \right\}$$

Conclusions

- Calls for “leaning against the wind”
- How would monetary policy be affected?
- Higher rates and more aggressive: short, steep cuts.
- Connected to empirical evidence:
 - High rates \Rightarrow low bank risk
 - Short cuts \Rightarrow prevent “too low for too long”

Conclusions

- **Justification for targeting financial imbalances:**
 - Monetary policy affects leveraging incentives
 - Leveraging affects bank lending quality incentives
 - And thereby economy's productive capacity
- **Prudential regulation cannot do job alone if**
 - Measures lack adjustment speed
 - Implementation costs convex
 - Monetary policy affects asset side incentives too